# Solvation Parameters of Solutes: An Attempt of Improvements in Characterization and Determination 

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#### Abstract

We are presenting here an updated version of our predictive model of solvation parameters of solutes, based on a simplified molecular topology (J. Chem. Inf. Model, 2006, 46, 1723-1734). The learning experimental database of this model is presently larger than in our first version and includes more compounds with more than one functional group of the same type. This experimental database is also surer, in the sense that it only includes compounds in liquid state at room temperature, when the polarizability of a compound in solution is established via its refractive index in gas or crystalline state. Indeed, we demonstrate in this paper, a bias in this case.


## INTRODUCTION

The conceptual definition of solvation parameters or descriptors can be expressed as follows:

If a matrix SP of a given solubility property can be expressed as a product of matrices $A * B$, then $A$ and $B$ are respectively matrices of solute and solvent solvation parameters. The first tool needed in order to characterize the solvation parameters of solutes is a solid database SP of a solubility property. Recently, Laffort et al. [1] used a very accurate matrix of retention indices in GLC (gas-liquid chromatography) for 133 solutes and 10 stationary phases, by Kováts and co-authors [2-6].

The second tool needed is a suitable statistical analysis. Laffort et al. [1] applied the original MMA algorithm (as Multiplicative Matrix Analysis) that the principle is reproduced in Fig. (1).

The first interest of this tool, compared with more classical ones such as the step-wise multi linear regression analysis (MLRA), is that it provides a test for each of the elements of the matrix, independently of their weight in the given sample of experimental data. A second interest of the MMA algorithm is that the output parameters values should be more precise than the input parameters values, on the condition that experimental data are overabundant and precise enough. The MMA algorithm is free available on http://paul.laffort.free.fr.

There is an agreement between the authors presently involved in solvation parameters, to consider that five solute parameters and five solvent parameters are needed and sufficient to take into account the solubility phenomena. The nature of one of the five solute parameters is related to the molar volume (it is called APOLAR), whereas the four other ones are independent of the molar volume. These last four parameters are respectively named of ORIENTATION or
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polarity, POLARIZABILITY or induction, ACIDITY (proton donor) and BASICITY (proton acceptor).

On this basis Laffort et al. [1] tested, among all the published values, only those concerning five solute parameters. In addition to the already mentioned good correlation between INPUT and OUPUT values using the MMA algorithm, two additional criteria have been considered by these authors: i) a good independence of the solute parameters (poor mutual correlation) and ii) an OUTPUT set of solvent parameters without negative values, difficult to understand in physicochemical terms.

From these compared tests, the published values according to Abraham [7] (314 solutes) appear as the most suitable, after an internal rearrangement of the original values for the apolar and the orientation parameters, via two simple equations. It also results from this enquiry a set of updated values of solvation parameters for 133 solutes, established using five out of the ten stationary phases studied by Kováts and co-authors [2-6]. Because these phases have been synthesized in limited quantity and are not commercially available, the method could be extended to any set of columns containing two apolar phases of very different molecular weight, a strongly fluorinated, a classical polyether and an alcoholic (e.g. diglycerol), after learning the data set for the above mentioned 133 solutes.

These two subsets of solute solvation parameters (314+ 133), having a total of 369 defined compounds, have been used as a learning material by Laffort and Héricourt [8] using a simplified molecular topology (SMT) which principally takes into account, for each atom of a molecule, its nature, the nature of its bonds and in some cases the nature of its first neighbors.

The stage presently reached could be improved on various aspects. This is the purpose of the present study:

- The apolar term established by Laffort et al. [1] using the partition coefficient air-hexadecane (L16) and two other polar terms according to Abraham [7], has been identified as the molar polarizability. We therefore call it a DISPERSION parameter. However, number of data published by Abraham and co-authors do not


Fig. (1). Diagram of the INPUT/OUTPUT of the Multiplicative Matrix Analysis (MMA), according to Laffort et al. [1]. The correlations between input and output parameters A depend on the nature of the input parameters, for a given experimental matrix R , whereas the standard error on the reconstruction of matrix R only depends on the chosen number of parameters. The MMA algorithm can be considered as a tool to test theories (the input).
include L16 (or L in a more recent expression) but Vx (or V) which is the molar volume according to Abraham and McGowan [9]. The first purpose is therefore to check if the dispersion parameters values derived from L16 and Vx are equivalent or not.

- The pool of 369 solutes used to calibrate the SMT algorithm by Laffort and Héricourt [8] does not include too much compounds with more than one functional groups. One of the purposes of the present study is to extend in this way the learning material.
- Once the two previous points overcome, the third purpose of the present study is to check - and if possible to improve - the SMT algorithm suggested by Laffort and Héricourt [8], in order to determine new values on the basis of a larger experimental data set.


## MATERIALS AND METHODS

## Statistical Tools

In addition to the EXCEL Windows facilities for drawing diagrams and handling data sets, the SYSTAT ${ }^{\circledR} 10.2$ for Windows has been applied for stepwise MLRA (Multidimensional Linear Regression Analysis).

## Molecular Topology Applied in the Present Study

Its principle is the same as in our first version [8]. It takes into account, for each atom of a molecule, its nature, the nature of of its bonds, and in some cases the nature of its first neighbors. In other words, the applied strategy is a compromise between the assignments of fixed atomic increments, and the consideration of all first and second neighbors of each structural element, as used in more sophisticate topological approaches.

The topological features retained are also very similar. Each atom is provided with an index, comprising a series of digits. Their sum is at most equal to its valence. The value of the digits define the type of bonds ( 1 for a single, 2 for a double bond, etc.), but the bonds with hydrogen are not indicated. In addition, the immediate neighboring is in part considered for oxygen, nitrogen and halogens. So, the possibilities for oxygen, for example, are the following: $\mathrm{O} 0, \mathrm{O} 1$, O11, O2, with six subcategories for O 1 (linked to $\mathrm{C} 1, \mathrm{C} 11$, $\mathrm{C} 111, \mathrm{C} 1111, \mathrm{C} 12$ and C 112 ) and three subcategories for O 2 (linked to C12, C112 and other cases).

In addition to the 44 atom characteristics and their immediate environment finally kept in the present study, we also consider two additional topological features trying to account for spatial proximities between proton donors and proton acceptors existing in some ortho derivates of phenols and in some amides, which we respectively call POSPA and NCO. We also consider a connectivity parameter due to Zamora [10] called the "smallest set of smallest rings" (SSSR), and applied in one of our previous studies [11]. According to this concept, for the naphthalene for example, which contains two individual $\mathrm{C}-6$ rings and one $\mathrm{C}-10$ ring embracing them, only the two six numbered rings are considered. Two six numbered rings corresponding to 12 carbon atoms, the SSSR value of naphthalene is therefore be taken equal to 12 . The definitions of these 47 features are summarized in Table 1. It should be noted that they are limited to not ionized compounds.

Molecular topological features are generated using the MarvinSketch program and other Java functionalities of ChemAxon Ltd [12]. In a first step the molecules under study are drawn using the MarvinSketch program. In a second step, the Java library of ChemAxon allows to scroll

Table 1. Nature of Atomic and Structural Elements Used in the Molecular Topology of the Present Study (Not Ionized Substances). See Explanations in the Text. Highlighted Elements are not Involved in the Present Study but are Often Present in Organic Chemistry

| Structural Element | Bonds | Topological Features | Subcategories |
| :---: | :---: | :---: | :---: |
| BASIC |  |  |  |
| Carbon | $\leq 4$ | C0, C1, C11, C111, C1111, C2, C12, C112, C22, C3, C13 |  |
| Oxygen | $\leq 2$ | O0, O11 |  |
| Oxygen | $\leq 2$ | O1 | linked to $\mathrm{C} 1, \mathrm{C} 11, \mathrm{C} 111, \mathrm{C} 1111, \mathrm{C} 12, \mathrm{C} 112$ |
| Oxygen | $\leq 2$ | O2 | linked to C12, C112, others |
| Nitrogen trivalent | $\leq 3$ | N0 |  |
| Nitrogen trivalent | $\leq 3$ | N1 | linked to C12, C112, others |
| Nitrogen trivalent | $\leq 3$ | N11 | linked to C12, others |
| Nitrogen trivalent | $\leq 3$ | N111, N12, N3 |  |
| Nitrogen pentavalent | $\leq 5$ | N122 |  |
| Phosphor pentavalent | $\leq 5$ | P1112 |  |
| Fluorine | $=1$ | F1 | linked to C1111, others |
| Chlorine | $=1$ | Cl 1 | linked to C111, C1111, others |
| Bromine | $=1$ | Br1 |  |
| Iodine | $=1$ | I1 |  |
| Sulfur divalent | $\leq 2$ | So, S1, S11, S2 |  |
| Sulfur hexavalent | $\leq 6$ | S1122 |  |
| Silicon | $\leq 4$ | Si1111 |  |
| Tin | $\leq 4$ | Sn1111 |  |
| Hydrogen | $=1$ | H1 = sum (maximal bonds - explicit bonds) |  |
| ADDITIONAL |  |  |  |
| POSPA |  | Phenol Ortho Substituted with Proton Acceptor (N122, O1 | l, Br, I, CO) |
| NCO |  | $\mathbf{N} 1$ or N11 or N111 linked to (a Carbon linked to O2) |  |
| SSSR |  | Smallest Sum of the Smallest Rings |  |

through the molecular structures generated in the first step, in order to establish the needed structural parameters.

## Learning Experimental Data Set

The data bank of solute solvation parameters permitting to establish the rules involving the retained topological features, results from the pooling of various experimental published data sets which will be specified in the Results section.

## RESULTS

Recovery of the Published Parameters According to Abraham and Co-Authors

The recovery of the parameters already published by Abraham and colleagues for a new definition of the dispersion parameter was limited, until now, to the solutes for which these authors published the partition coefficient airhexadecane L16. The applied equation was as follows, $\delta$ standing for the dispersion parameter established using the solute parameters of Abraham [7]:
$\delta=\log L 16-0.532 \pi_{2}^{H}-0.894 R_{2}-0.115$
in which $\pi_{2}^{H}$ (or S ) and $\mathrm{R}_{2}$ (or E ) are respectively the parameters of orientation and polarizability according to Abraham and co-authors. For the publications in which only values of the molar volume $\mathrm{V}_{\mathrm{x}}$ according to the definition of Abraham and Mc Gowan [9] are provided, in place of L16, the following equation is suggested:
$\delta^{\prime}=1.238 R_{2}+3.506 \frac{V_{x}}{100}-0.875$
The remaining question was to check if these two definitions are equivalent or not on the basis of experimental published data. In this purpose, we have compared the dispersion parameters expressed using eqs. 1 and 2 , for two data sets: i) 314 solutes studied by Abraham [7] for which L16 values are provided and for which we have established the corresponding Vx values using the rules of Abraham and McGowan [9]; ii) 93 solutes studied by Abraham and Acree
[13] for which both L16 and Vx are provided. The results are summarized in Table 2 and Fig. (2).

The observed scattering of the points concerning solids, in Fig. (2), could be explained by the values of the molecular refractive index in crystalline form, which can differ from their values in solutions (the molecular refractive indices are strongly involved in the calculation of the R2 parameter, and therefore in the calculation of $\delta_{2}$ and $\delta_{2}{ }^{\prime}$ using eqs. 1 and 2 ). The observed scattering for gases, slightly less dramatic, could be due to a lower experimental accuracy in the determination of the experimental data.

The principal conclusion of these results in the present study, concerns the building of a learning set of solubility parameters in order to calibrate the SMT (Simplified Molecular Topology). Only the data in liquid state at room temperature will be kept when a molecular refractive index is applied to establish the R2 parameter.

## Building an Experimental Learning Data Set

As in our previous study [8], a homogeneous set of solutes solvation parameters has been established pooling various published data sets for which the consistency has been verified for the overlapping compounds:

## Sub-Set A for 128 Solutes

The values have been derived by Laffort et al. [1] from retention indices established by Kováts and co-authors [2-6] on five selected stationary phases in gas-liquid chromatography. From the data concerning 133 solutes, we discarded, for a better consistency, five solutes using retention chromatographic indices having a value $<500$ (i.e. lower than that of pentane). This first sub-set is identical to that already applied in our previous topological study [8].

## Sub-Set B for 185 Solutes

The values are derived from the solvation parameters published by Abraham [7] for 314 compounds for which log

Table 2. Comparison of the Dispersion Parameters d and d' According to Eqs. 1 and 2, for 314 Solutes Studied by Abraham [7] and for 93 Solutes Studied by Abraham and Acree [13]. The Equivalence Between Both Expressions is Principally Observed for Liquids at Room Temperature ( $\mathbf{N}$ Stands for the Number of Solutes, $r$ for the Pearson Correlation Coefficient and SEE for the Standard Error of Estimate)

|  | GASES <br> $\left(\mathbf{B P}<\mathbf{2 0}{ }^{\circ} \mathbf{C}\right)$ | LIQUIDS <br> $\left(\mathbf{M P}<\mathbf{2 5}{ }^{\circ} \mathbf{C} ; \mathbf{B P}>\mathbf{2 5}^{\circ} \mathbf{C}\right)$ | SOLIDS <br> $\left(\mathbf{M P}>\mathbf{2 5}^{\circ} \mathbf{C}\right)$ |
| :---: | :---: | :---: | :---: |
| Abraham, 1993 | $\mathrm{N}=17$ | $\mathrm{~N}=253$ | $\mathrm{~N}=44$ |
|  | $\mathrm{r}=0.81$ | $\mathrm{r}=0.96$ |  |
|  | $\mathrm{SEE}=0.29$ | $\mathrm{SEE}=0.30$ | $\mathrm{r}=0.82$ |
|  | $\mathrm{~N}=18$ | $\mathrm{~N}=57$ | $\mathrm{SEE}=0.69$ |
|  | $\mathrm{r}=0.75$ | $\mathrm{r}=0.97$ | $\mathrm{~N}=42$ |
|  | $\mathrm{SEE}=0.53$ | $\mathrm{SEE}=0.29$ | $\mathrm{r}=0.98$ |
|  |  | $\mathrm{SEE}=0.75$ |  |



Abraham, 1993


Abraham and Acree, 2004

Fig. (2). Correlogram for the same data as in Table 1. Most of the outliers concern the solutes in solid or gas state at room temperature.

L16 is provided, according to eq. 1 already mentioned and eqs.3:

$$
\begin{array}{ll}
\text { ORIENT } & \omega=1.523 \pi_{2}^{H}-0.538 \Sigma \beta_{2}^{H}-0.837 R_{2} \\
\text { POLARIZ } & \varepsilon=R_{2} \\
\text { ACID } & \alpha=2.825 \Sigma \alpha_{2}^{H} \\
\text { BASIC } & \beta=0.728 \Sigma \beta_{2}^{H} \tag{3}
\end{array}
$$

in which $\pi_{2}^{H}, R_{2}, \Sigma \alpha_{2}^{H}$ and $\Sigma \beta_{2}^{H}$ are respectively the parameters of orientation, polarizability, acidity and basicity, according to Abraham and co-authors.

Out of the original 314 compounds, have been discarded those in solid or gas state at room temperature and also those already present in the sub-set A.

## Sub-Set C for 143 Solutes

Zissimos et al. [14] have reported solute solvation parameters according to the Abraham presentation for little less than 470 compounds (some are duplicated). After discarding those in solid or gas state at room temperature and also those already present in the sub-sets A and B, data for 143 new substances are kept, using the rules of transformation given by eq. 2 for the dispersion parameter and eqs. 3 for the four other ones.

The homogeneous learning set finally obtained is more satisfactory than that used in our previous study [8]:

- It includes only liquids at room temperature when the polarizability-induction parameter is obtained via the refractive index.
- It includes more compounds (456 instead of 369).
- It includes more compounds with more than one functional group (79 instead of 62).
This learning set is reported in Table SI (Supporting Information).


## Polar Surface Areas

In addition to the solvation parameters of solutes strictly speaking, we also reported in Table SI the values of polar surface areas (PSA) according to Ertl [15] and Ertl et al. [16]. The polar surface area has been defined by Palm et al. [17], as "the area occupied by nitrogen and oxygen atoms, and hydrogen atoms attached to these heteroatoms". Ertl et al. [16] also take into consideration slightly polar heteroatoms as sulfur and phosphor, but no one author has included the contributions of halogens, strongly polar heteroatoms. The PSA concept is quite fascinating on various aspects:

- Its definition is chemically very simple and precise, but its justification is pharmacological (reflecting very well the molecular transport properties, particularly intestinal absorption and blood-brain barrier penetration). The discarding of the halogens contribu-
tion is due to their absence of contribution to the molecular transport properties.
- PSA values have been established using sophisticated programs, taking into account the molecular threedimensional shape and flexibility [17].
- A topological method using summation of surface contributions of polar fragments (termed TPSA) has been applied by Ertl et al. [16], exhibiting an excellent correlation with theoretical PSA values ( $\mathrm{r}=$ $0.991, \mathrm{~N}=34810$ substances).
Because the present study is not only dedicated to the solubility phenomena, but also in a future perspective of QSAR (Quantitative Structure Activity Relationship), the TPSA values according to Ertl et al. [16] have been included in Table SI, in order to also check our SMT procedure for this molecular polar property.


## Learning the Experimental Data Set and Calibration of the SMT (Simplified Molecular Topology)

A step wise multi linear regression analysis has been applied to the 456 compounds listed in Table SI, each of the five solubility parameters and the polar surface area (PSA) being successively the dependent variables, and the 47 molecular features listed in Table 1 the independent variables (taken alone or sometimes grouped: e.g., $\mathrm{O} 0+\mathrm{O} 1$ ). The first used rule has been to have not more than 14 final independent variables in each regression (which represent $3 \%$ of the total observations). The second rule has been that each partial F ratio associated with the independent variables finally kept has to be at least equal to 25 (the partial F ratios reflect the degree of involvement of each feature). The selected molecular features permitting to predict the five solubility parameters and the PSA, their respective coefficients and their partial F ratios are listed in Table 3. The corresponding correlograms are drawn in Fig. (3).

Before entering a general discussion, the results as exhibited in Fig. (3) suggest two principal comments:

## Polar Surface Areas

The theoretical values of PSA being unavailable for the 456 compounds of Table SI, we have compared two topological approaches, one of them (Ertl et al. [16]) supposed to be very close to the theoretical values. The two topological methods appear equivalent, except for eight slightly outliers which are all 5 -ring aromatic molecules (pyrrole, furfural, furan, methylfuran, benzofuran, thiophene, 3methylthiophene, thiazole). The explanation is very clear: in the Ertl et al. [16] procedure, the heteroatoms of these compounds are linked to carbon atoms via aromatic bonds, whereas in the present work via single bonds. This problem does not occur with 6 -ring aromatic substances, since in our approach we have one single and one double bond, which is equivalent to two aromatic bonds. It would be interesting to know the theoretical values for these eight 5-ring compounds, in order to introduce or not an additional feature of aromatic bond in our model. It is of interest to underline that in the Ertl et al. [16] procedure are involved 43 fragments ( 32 not ionized and 11 ionized) and in the present study only 14 non ionized molecular features.

Table 3. Molecular Features and their Corresponding Coefficients Involved in a Simplified Topology Defining the Five Solvation Parameters of Dispersion, Polarizability/Induction, Acidity, Basicity and Orientation, as Well as the Polar Surface Area (See Text) for the 456 Compounds Reported in Table SI*

| Features | Coefficients | Partial F Ratios |
| :---: | :---: | :---: |
| Constant | -0.612 |  |
| C total | 0.413 | 3818 |
| O -(O0+O 1) | 0.250 | 339 |
| O0+O1 | 0.449 | 194 |
| N-N1 | 0.420 | 209 |
| N1 | 0.698 | 117 |
| Cl1 | 0.628 | 907 |
| Br1 | 0.942 | 929 |
| I1 | 1.264 | 373 |
| S1+S11+S2 | 0.958 | 491 |
| Si1111 | 0.492 | 38 |
| Sn1111 | 1.204 | 29 |
| H1 | 0.044 | 183 |
| DISPERSION |  |  |


| Features | Coefficients | Partial F Ratios |
| :---: | :---: | :---: |
| $\mathrm{C} 2+\mathrm{C} 12+\mathrm{C} 13$ | 0.073 | 736 |
| O 1 | 0.180 | 135 |
| O 2 | 0.096 | 68 |
| N 1 | 0.250 | 67 |
| F 1 | -0.084 | 147 |
| CI 1 | 0.149 | 280 |
| Br 1 | 0.315 | 546 |
| I 1 | 0.657 | 503 |
| S1 | 0.365 | 119 |
| S11 | 0.299 | 115 |
| S2 | 0.426 | 86 |
| Si1111 | -0.420 | 152 |
| SSSR | 0.053 | 758 |
| POLARIZABILITY |  |  |


| Features | Coefficients | Partial F Ratios |
| :---: | :---: | :---: |
| C12 | 0.037 | 37 |
| O11 | 0.115 | 30 |
| O0+O1 | 0.167 | 26 |
| O2 | 0.503 | 769 |
| N3 | 0.944 | 286 |
| F1 | 0.133 | 92 |
| Cl1 nlk C1111 | 0.173 | 57 |
| Br1 | 0.146 | 27 |
| NCO | 0.405 | 41 |
| ORIENTATION |  |  |


| Features | Coefficients | Partial F Ratios |
| :---: | :---: | :---: |
| C112 | 0.047 | 65 |
| $(\mathrm{O} 0+\mathrm{O} 1) \mathrm{nlk} \mathrm{C112}$ | 0.344 | 448 |
| O11 | 0.131 | 147 |
| O2 | 0.213 | 291 |
| N1 | 0.452 | 229 |
| N11 nlk C112 | 0.416 | 134 |
| N111 | 0.360 | 132 |
| N12 | 0.381 | 330 |
| N3 | 0.267 | 74 |
| N122 | -0.250 | 38 |
| BASICITY |  |  |


| Features | Coefficients | Partial F Ratios |
| :---: | :---: | :---: |
| C13 | 0.139 | 44 |
| O0 | 2.317 | 344 |
| sqrt [O1 x (C1+C11)] | 1.091 | 1773 |
| O1 x C111 | 0.932 | 677 |
| O1 x C1111 | 0.655 | 80 |
| O1 x C12 | 2.034 | 265 |
| O1 x C112 | 1.705 | 2503 |
| N1 x C12 | 1.751 | 196 |
| N11 x C12 | 1.144 | 166 |
| N1+N11) x C112 | 0.631 | 74 |
| sqrt [(N1+N11) nlk C12, nlk C112] | 0.314 | 92 |
| F x C1111 | 0.121 | 72 |
| Clx C111 | 0.139 | 37 |
| POSPA | -0.795 | 151 |
| ACIDITY |  |  |
| The term linked to is marked x and nlk stands for not linked to |  |  |
|  |  |  |


| Features | Coefficients | Partial f Ratios |
| :---: | :---: | :---: |
| C22 | 31.715 | 8871 |
| O0 | 29.270 | 3839 |
| O1 | 20.227 | 95500 |
| O11 | 9.386 | 32650 |
| O2 | 17.017 | 101600 |
| N1 | 26.027 | 38170 |
| N11 | 12.351 | 7262 |
| N111 | 3.366 | 588 |
| N12 | 13.109 | 19850 |
| N122 | 11.789 | 45980 |
| N3 | 23.792 | 28980 |
| P1112 | 9.407 | 690 |
| S1 | 38.800 | 71050 |
| S11 | 25.873 | 43730 |
| POLAR SURFACE AREA |  |  |

[^0]

Fig. (3). Correlograms of the solvation parameters topologically defined (Table 3) versus experimental (Table SI), and the polar surface area topologically defined in Table 3 and by Ertl et al. [16].

## Solvation Parameters Strictly Speaking

The general trends are the same as those observed in Laffort and Héricourt [8]: rather satisfactory results for the dispersion and the polarizability/induction parameters, disap-point-ting results for the orientation and the basicity parameters, and in between for the acidity parameter. A deeper investigation is developed in the Discussion section, in order to see if the challenge of the present study announced in the title is at least partially reached or not.

## GENERAL DISCUSSION

## Expression of the Solutes Solvation Parameters

A controversy has been developed by Mintz et al. [18], on the respective advantages and disadvantages in the expression of solvation parameters by Abraham and co-authors in one side, and as we have recently proposed $[1,8]$ on the other side. These authors agree that there are advantages associated with having an orthogonal set of solute descriptors, but that this is only observed for the data set of 369 compounds studied by Laffort and Héricourt [8]. We observe that this fact is also verified for the data set reported in Table SI, as it can be shown in Fig. (4).

| $\omega$ | -0.12 |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\varepsilon$ | 0.14 | -0.05 |  |  |
| $\alpha$ | -0.19 | 0.11 | -0.04 |  |
| $\beta$ | -0.04 | 0.30 | 0.06 | 0.17 |
|  | $\delta$ | $\omega$ | $\boldsymbol{\varepsilon}$ | $\alpha$ |

Table SI ( $\mathrm{N}=456$ ) Laffort et al. expression

| $\pi_{2}^{H}$ | 0.25 |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| R2 | 0.44 | 0.56 |  |  |
| $\Sigma \alpha_{2}^{H}$ | -0.17 | 0.10 | -0.04 |  |
| $\Sigma \beta_{2}$ | 0.05 | 0.48 | 0.06 | 0.17 |
|  | og $L_{16}$ | $\pi_{2}$ | R2 | $\Sigma \alpha_{2}$ |

Table SI ( $\mathrm{N}=456$ ) Abraham et al. expression

Fig. (4). Comparison of mutual independence (low values of correlation coefficients) in the two expressions of the solvation parameters reported in Table SI

Over statistical considerations, Abraham and co-authors consider that our expression provides solute parameters less chemically independent than their own expression, particularly the orientation/polar parameter. As an objection to this point of view, it can be recalled that our $\omega$ (orientation) parameter has been obtained using together the dipole moment and the MMA algorithm applied to experimental chromatographic data (Laffort et al. [1], footnote 3, page 95). The fact that the parameters appeared more orthogonal using the consequent transformation of data - as well as in the set of 314 compounds according to Abraham [7] as in the set of 125 compounds according to Kováts et al. [2-6] - was observed after the event.

Another objection of Mintz et al. [18] against our expression, is that it generates solvent parameters (called equation coefficients) with, on their point of view, unrealistic values. This problem can certainly be solved using relative values of solvent parameters to a hydrocarbon solvent with infinite number of carbon atoms as a reference. However, it is not the aim of the present study to pursue this controversy, and anyway, it is not very complicate to transform a data set expressed in one way into its expression via the other one.

## The Learning Data Set of 456 Compounds (Table SI)

As we saw, this learning data set of solute solvation parameters includes more compounds than in our previous study
[8], and more compounds with more than one functional group. In addition, it only includes liquids at room temperature when the polarizability-induction parameter is obtained via the refractive index, in order to increase, as suggested by Fig. (2), the validity of pooling the three data subsets. The pooled set presents however a difficulty, in the sense that among the data published by Abraham and co-authors, not all are from experimental origin, with the risk to build prediction rules based on already predicted values. As a proof of this assertion, it can be easily verified in Table SI that the values for the acidity and basicity parameters from sources B and C, are always exactly the same along various homologous series, except the first terms. The same phenomenon is observed for the polarity parameter $\pi_{2}^{H}$ (or S ) in the original tables of these authors. These absolutely identical values are not observed when the procedures applied are $100 \%$ experimental (see source A).

Therefore, Table SI can be considered as a compromise with a reasonably good amount of compounds of a reasonably diversity of types, but with data of not entirely experimental nature. Improvements in this field should very probably need more experimental data.

## A Possible Improvement of Source A

Kováts and Kresz [19] have recently published updated values of the retention indices in gas-liquid chromatography previously published by Dallos et al. [20] and Kováts et al. [2-6], the later being applied in defining the source A of solvation parameters by Laffort et al. [1]. A corrected version of source A on these updated retention indices has not yet been achieved, but in order to refine more and more the values of solvation parameters established on $100 \%$ experimental basis, this will be done soon and published.

## Comparison Between the Topological Predictive Tools Applied in 2006 and in the Present Study

As we already saw, the results observed in Fig. (3) are not very satisfactory for the basicity and the orientation/polar parameters. In order to evaluate in which proportion the challenge of the present study announced in the title is reached, we have compared the topological model previously published [8] and that of the Table $\mathbf{3}$ in the present study, to the same two data sets as reported in Table 4. These two data sets respectively are the entire Table SI and the part of this table from source A.

The results exhibited in Table 4 are interesting and surprising. For the data from Table SI as a whole (top of the table), the results are very similar using one or another group of predictive equations, with a slight advantage using the most recent ones for the acidity and the dispersion parameters. For the subset of 128 compounds of source A (bottom of the table), the two groups of equations give also very similar results, but with comparable values of correlation coefficients for the four "polar" parameters (i.e. around $0.94)$. Three explanations of this phenomenon can be done, but there are not presently sufficient arguments to decide in which proportion each of these three causes is involved.

- The data subset from source A could be differently distributed that the Table SI taken as a whole. It can be shown in Fig. (5) that this assertion is partially true.

Table 4. Comparisons of the Topological Model Proposed in Our Previous Study [8] and in Table 3 of the Present Publication, Respectively Applied to the 456 Compounds of Table SI and to the 128 Compounds of the Source A of the Same Table SI. See Comments in Text

|  | Dispersion | Orientation | Polarizability | Acidity | Basicity |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} N=456 \\ 2006 \text { model } \end{gathered}$ | $\begin{gathered} \mathrm{r}=0.97 \\ \mathrm{SEE}=0.26 \end{gathered}$ | $\begin{gathered} \mathrm{r}=0.85 \\ \mathrm{SEE}=0.19 \end{gathered}$ | $\begin{gathered} \mathrm{r}=0.95 \\ \mathrm{SEE}=0.10 \end{gathered}$ | $\begin{gathered} r=0.92 \\ \mathrm{SEE}=0.18 \end{gathered}$ | $\begin{gathered} r=0.87 \\ \mathrm{SEE}=0.11 \end{gathered}$ |
| $N=456$ <br> present model | $\begin{gathered} \mathrm{r}=0.98 \\ \mathrm{SEE}=0.22 \end{gathered}$ | $\begin{gathered} \mathrm{r}=0.86 \\ \mathrm{SEE}=0.18 \end{gathered}$ | $\begin{gathered} \mathrm{r}=0.95 \\ \mathrm{SEE}=0.10 \end{gathered}$ | $\begin{gathered} r=0.96 \\ \mathrm{SEE}=0.12 \end{gathered}$ | $\begin{gathered} \mathrm{r}=0.87 \\ \mathrm{SEE}=0.09 \end{gathered}$ |
| $\begin{gathered} N=128 \\ 2006 \text { model } \end{gathered}$ | $\begin{gathered} r=0.98 \\ \mathrm{SEE}=0.18 \end{gathered}$ | $\begin{aligned} \mathrm{r} & =0.92 \\ \mathrm{SEE} & =0.12 \end{aligned}$ | $\begin{aligned} \mathrm{r} & =0.93 \\ \mathrm{SEE} & =0.13 \end{aligned}$ | $\begin{aligned} r & =0.94 \\ \mathrm{SEE} & =0.11 \end{aligned}$ | $\begin{gathered} r=0.94 \\ \mathrm{SEE}=0.08 \end{gathered}$ |
| $\begin{gathered} \mathrm{N}=128 \\ \text { present model } \end{gathered}$ | $\begin{gathered} r=0.98 \\ \mathrm{SEE}=0.19 \end{gathered}$ | $\begin{gathered} r=0.94 \\ \mathrm{SEE}=0.11 \end{gathered}$ | $\begin{gathered} r=0.94 \\ \text { SEE }=0.12 \end{gathered}$ | $\begin{gathered} \mathrm{r}=0.94 \\ \mathrm{SEE}=0.11 \end{gathered}$ | $\begin{gathered} \mathrm{r}=0.93 \\ \mathrm{SEE}=0.08 \end{gathered}$ |

- $\quad$ Some types of molecules, present in the Table SI taken as a whole, could not be present in the subset from source A. This assertion is true as we already saw. It can however be underlined that the equations of Table 3 have been optimized on the basis of the all Table SI.
- The experimental data from the subset A could be more precise than from the subsets B and C...
Over statistical considerations showing a slight advantage of the present version of the SMT model over the 2006 version (when applied to the 456 solutes of Table SI), we also prefer the new one for reasons of chemical consistency, as it appears on the regression equations of Table 3:
- Dispersion parameter $\boldsymbol{\delta}$. Univocal coefficients, for each atom type (including hydrogen), except acidic features of oxygen and nitrogen.
- Polarizability parameter $\varepsilon$. It depends on the polarizability contribution of each atom, of the multiple bonds and of the molecular connectivity.
- Acidity parameter $\alpha$. It principally depends on hydroxyl groups and primary and secondary amines features, in various types of environments.
- Basicity parameter $\boldsymbol{\beta}$. It also principally depends on oxygen and nitrogen features in various types of environments.
- Orientation parameter $\omega$. Its principal features are O 2 (involved in nitro compounds, ketones, aldehydes, amides, lactones, carboxylic acids, esters), N3 (nitriles) and F1 (fluoro compounds).
All these trends were present in our 2006 version, but perhaps less clearly.


## Comparisons with Other Predictive Models

Klamt [21,22] has developed a novel method, called COSMO-RS technique, for predicting the thermodynamic properties of pure and mixed fluids, particularly the vaporliquid equili-briums. The thermodynamic data are established from molecular surface polar distributions, resulting from quantum chemical calculations of the individual compounds in the mixture. Zissimos et al. [14] have compared the five solvation parameters according to Abraham and co-authors to five COSMObased descriptors, for 467 solutes. The results using a global MLRA (multi linear regression analysis) appeared excellent for the molar volume ( $\mathrm{r}=0.99$ ), and very good for the acidity and the basicity parameters (respectively $r=0.96$ and $0.94)$. They were by contrast disappointing for the polarity and


Fig. (5). Histograms of the five solvation parameters according to Table SI, for the subset of source A ( $\mathrm{N}=128$ ), and for the entire table itself $(\mathrm{N}=456)$. See comment in text.
the polarizability parameters (respectively $\mathrm{r}=0.88$ and 0.71 ). It is however difficult to compare these results to those of Table 4 , the overlapping of substances under study being partial (around $2 / 3$ ).

Our previous study [8] on the present field included a comparison with the results obtained by Oliferenko et al. [23] using a theoretical approach, and by Jover et al. [24] using an empirical approach of neural networks. The comparison, limited to the acidity and the basicity parameters, showed similar performances of the three approaches. Because this paper is principally devoted to an updating of the SMT procedure, we have not extended the comparison of its performances with those of other empirical [25, 26] or theoretical [27-29] models.

## CONCLUSION

In spite of limited improvements in the prediction of solvation parameters as it appears in Table 4, we will apply from now on the second version of the SMT model as it is described on Table 3. Firstly, because based on a larger and surer database of experimental values. Secondly, because more chemically consistent. This updated model will soon take the place of the former SMT model in the site: http://paul.laffort.free.fr/

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[^0]:    * The term linked to is marked x , and nlk stands for not linked to.

